

# Real and nominal prices

- Changing money value is like a shrinking meter stick
  - What if two meters today was the same length as 1.5m twenty years ago?
  - We care about what *really* happened to lengths over time
- When we compare prices over time, we should adjust for inflation: convert nominal price changes to real price changes

# How to adjust for inflation

- Find a price index “P” that indicates how prices in general have changed
  - Estimate the price of a standard “basket” of goods and services
  - Example: consumer price index
  - The CPI index is set to 100 for a chosen base year.
  - With inflation, P values are  $< 100$  for prior years
  - P values are  $> 100$  for subsequent years

# Example bus fares in 1954 and 2012

- $P_{2012} = 100$ ;  $P_{1954} = 11.8$ 
  - Things that cost \$11.80 in 1954 cost, on average, \$100 in 2012, an increase of  $(100-11.8)/11.8 = 747\%$
  - Some items rose more than 747%, some less
- Bus fare,  $B_{1954} = \$0.20$ ;  $B_{2012} = \$2.00$ 
  - In nominal terms, bus fare is up  $(2.00-0.20)/0.20 = 900\%$
  - Did the real bus fare rise that much? Did it rise at all?

# Converting nominal to real bus fare

- First approach
  - Express 1954 fare in terms of 2012 dollars: \$1.00 in 1954 equals \$11.80 in 2012
  - $\$0.20 \times 11.80 = \$2.36$  in 2012 dollars
  - The real bus fare of 1954 was higher than in 2012 by  $(2.36-2.00)/2.00 = 18\%$
- Second approach
  - Express 2012 fare in terms of 1954 dollars:  $2.00/11.8 = \$0.169$  in 1954 dollars
  - The real bus fare of 1954 was higher by  $(0.20-0.169)/0.169 = 18\%$

# Converting nominal to real bus fare

- Third approach
  - Compare price level rise to bus fare rise
  - Price level rise was  $(100-11.8)/11.8 = 747\%$
  - Bus fare rise was  $(2.00-0.20)/0.20 = 900\%$
  - Bus fare increased more than the price level increased
  - The real bus fare has risen

# But buses have changed!

- Bus rides cost more in real terms than in 1954 but have the bus rides changed?
- Buses in 1954:
  - No air conditioning
  - No wheelchair ramps
  - Noisier
  - Lower engine efficiency
  - No Clipper Card

# Two kinds of exchange rate parity

1. Purchasing power parity: currencies have the same purchasing power as measured by
  - Price levels in two countries (p.329)
  - Big Mac prices
2. Interest rate parity: interest rate differences should reflect expected changes in exchange rates

# 1. Purchasing power parity

- Purchasing power parity holds true between two countries if the price level  $P$  (or the Big Mac price if you prefer) is the same in both countries, after currency conversion
- US purchasing power:  $P_{US}$  = price of a basket of goods/services in US (\$/basket)
- UK purchasing power:  $P_{UK}$  = price of the same basket of goods/services in UK (£/basket)
- XR = nominal exchange rate (\$/£)
- RXR = real exchange rate =  $XR \times P_{UK}/P_{US}$



# Example RXR calculation

- Assume
  - XR is \$1.25/£
  - US price level is  $P_{US} = \$50/\text{basket}$
  - UK price level is  $P_{UK} = £40/\text{basket}$
- RXR is  $1.25\$/\text{£} \times £40/\$50 = 1$  (no units)
- This means the \$ and £ are at PPP
- Now assume XR changes to  $1.50\$/\text{£}$  while price levels are unchanged
- $RXR = 1.50 \times 40 / 50 = 1.2$ : £ has depreciated but price levels have not changed

# RXR meaning

- The real exchange rate shows the deviation of an exchange rate from purchasing power parity (PPP)
  - $RXR = 1$ : PPP holds true
  - $RXR < 1$ : under-valued currency
  - $RXR > 1$ : over-valued currency
- Note: Fig. 14.2 curve marked “real exchange rate” is actually the ratio of price levels

# Example RXR calculation

- Now assume
  - XR unchanged at \$1.25/£
  - US price level rises  $P_{US} = \$60/\text{basket}$
  - UK price level is still  $P_{UK} = £40/\text{basket}$
- RXR is  $1.25\$/\text{£} \times £40/\$60 = 0.83$  (no units)
- The £ is under-valued. XR should have increased because of US inflation, to maintain PPP
- If the £ is under-valued, the \$ is over-valued. It should have decreased because of inflation
- Historical record in Fig. 14.12. Note: the curve marked “real exchange rate” is actually the ratio of price levels

# Real and nominal interest rates

- Inflation can wipe out most or all of the interest earned on an investment
- Lenders care about the purchasing power of the interest they get: the real interest rate
- Real interest definition:  $r = i - \pi$
- Example:
  - Nominal interest rate  $i = 3\%$  per annum
  - Inflation rate =  $4\%$  per annum
  - Real interest rate  $r = 3 - 4 = -1\%$  per annum: a loss in purchasing power

## 2. Real interest rate parity

- A differences interest rates in two countries should reflect changes in real exchange rate (“interest rate parity”)
- $r_{UK} - r_{US} = E[\% \Delta RXR]$ 
  - $r_{UK}$  is the interest rate in UK (%)
  - $r_{US}$  is the comparable interest rate in US (%)
  - $\% \Delta RXR$  is the percent change in real exchange rate
  - $E[\% \Delta RXR]$  is the *expected* percent change in RXR during the next year

# Why is this?

- If US bond buyers expect the £ to depreciate by 2% over the coming year, they will want 2% more interest on UK bonds to compensate for declining \$ value of their investment
- Example: if interest rate parity holds true and we observe  $r_{US} = 3\%$  and the £ is expected to depreciate by 2% next year, then we should see  $r_{UK} = 5\%$  so that  $r_{UK} - r_{US} = E[\% \Delta RXR] = 5\% - 3\% = 2\%$

# How do we find $E[\% \Delta R_{XR}]$ ?

- Answer: the one-year forward market (\$/£) XR relative to the spot XR tells us
- Example:
  - spot \$1.25/£
  - one-year forward \$1.28/£, a 2.4% rise
  - UK interest rate should be 2.4% higher than US for interest rate parity to hold true
- This is approximate because of carrying costs and fees